

## Introduction

- A challenge when learning from others about past events is that people can disagree in their interpretations of what happened.
- Disagreement is sometimes caused by an *ambiguous event* that generates multiple reasonable interpretations.<sup>1</sup>

### Research Questions:

- Can children use disagreement to infer that an ambiguous event (here, an ambiguous *utterance*) occurred?
- Do children's predictions that ambiguous events cause disagreement explain their inferences in line with Bayesian inferential reasoning?<sup>2</sup>

## Experiment 1: Inference (N = 52 7-11 year olds)

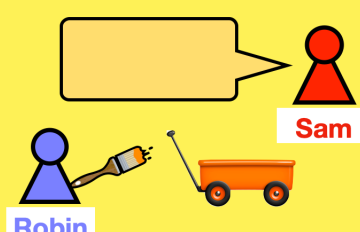
Children completed 4 trials: 2 **Agreement** trials, 2 **Disagreement** trials.  
Examples of an **Agreement** and a **Disagreement** trial are below:

Agreement vs. Disagreement

Agreement Trial

Story Introduction

Sam said something to Robin. Then Robin painted Sam's wagon orange.



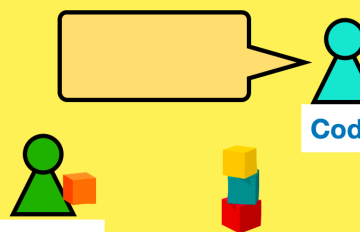
Robin

Sam

Disagreement Trial

Story Introduction

Cody said something to Morgan. Then Morgan finished Cody's block tower.



Morgan

Cody

Test: Inference

What did Sam say to Robin?

1. Please paint my wagon orange. (unambiguous)

2. My wagon would look better in a new color. (ambiguous)

3. My wagon has four wheels. (random)

Test: Inference

What did Cody say to Morgan?

1. Please finish my block tower. (unambiguous)

2. My tower is almost finished. (ambiguous)

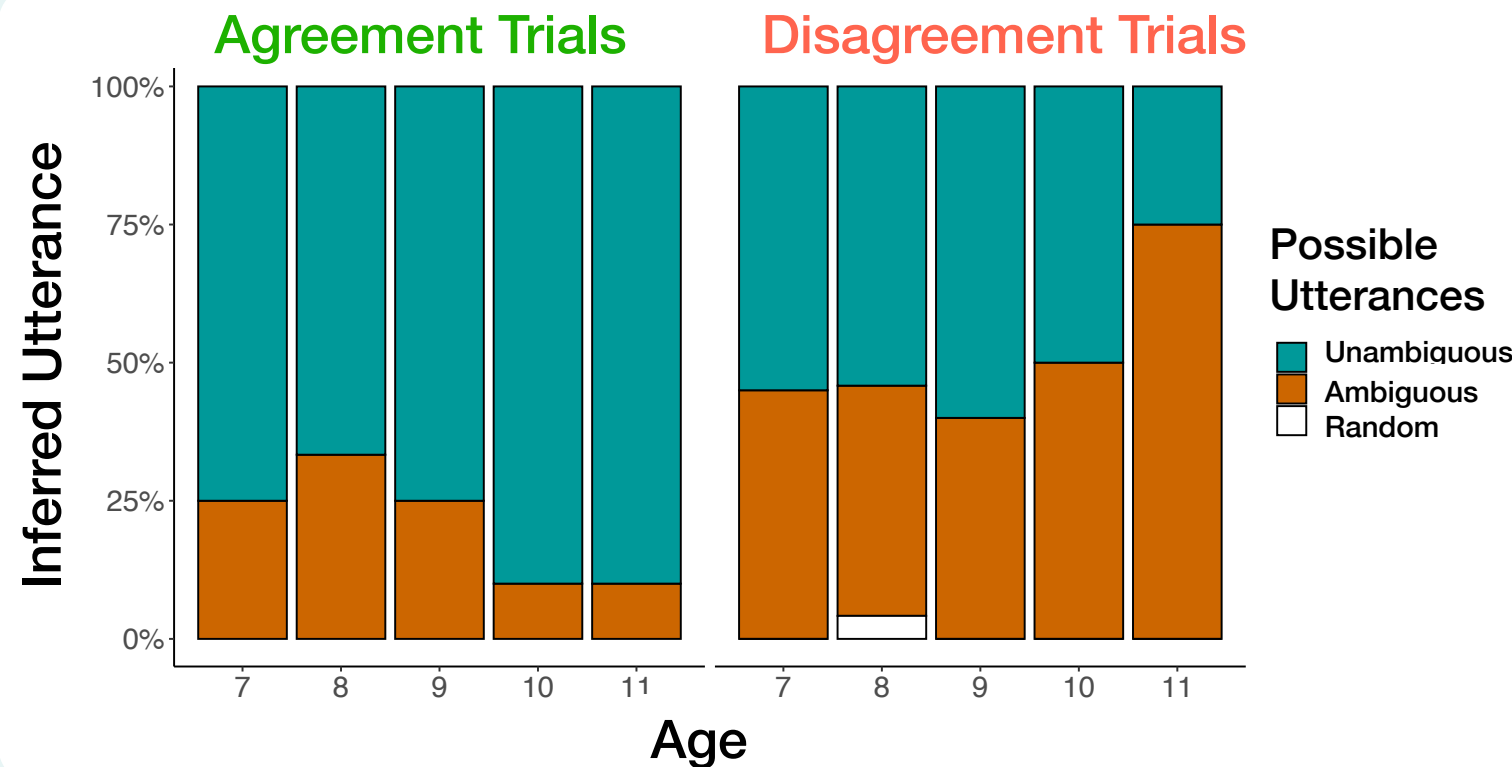
3. My tower is made of blocks. (random)

We predicted children would infer **ambiguous utterances more** in **disagreement** than **agreement** trials.



## Experiment 1 Results (Inference Only)

Children inferred the ambiguous utterance more after hearing disagreement than agreement,  $\beta_{\text{disagree}} = 1.83$ , 95% CI [1.03, 2.63]. The effect strengthened with age,  $\beta_{\text{disagree} \times \text{Age}} = 0.82$ , 95% CI [0.26, 1.38].




## Experiment 2 (Prediction + Inference) N = 110 7-11 year olds

Children *either* completed the Inference task (similar to Experiment 1, now with only the unambiguous and ambiguous options) OR the Prediction task:

Unambiguous vs. Ambiguous Statement

Unambiguous Trial

Sam says to Robin, "Please paint my wagon."

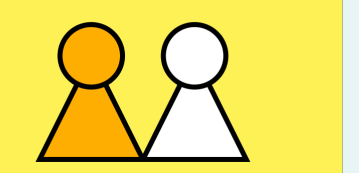


Robin

Sam

People overhear statement

Other people heard what Sam said, and are thinking about whether Sam wants Robin to paint the wagon.



Test: Prediction


Which happens next?

1. The people **AGREE**: They both say, "I think Sam wants Robin to paint the wagon."

2. The people **DISAGREE**: One says, "I think Sam wants Robin to paint the wagon, but the other says, 'Actually, I don't think Sam wants that.'"

Ambiguous Trial

On another day, Sam says to Robin, "My wagon would look better in a new color."

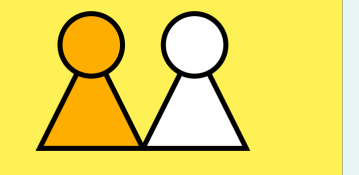


Robin

Sam

People overhear statement

Other people heard what Sam said, and are thinking about whether Sam wants Robin to paint the wagon.



Test: Prediction

Which happens next?

1. The people **AGREE**: They both say, "I think Sam wants Robin to paint the wagon."

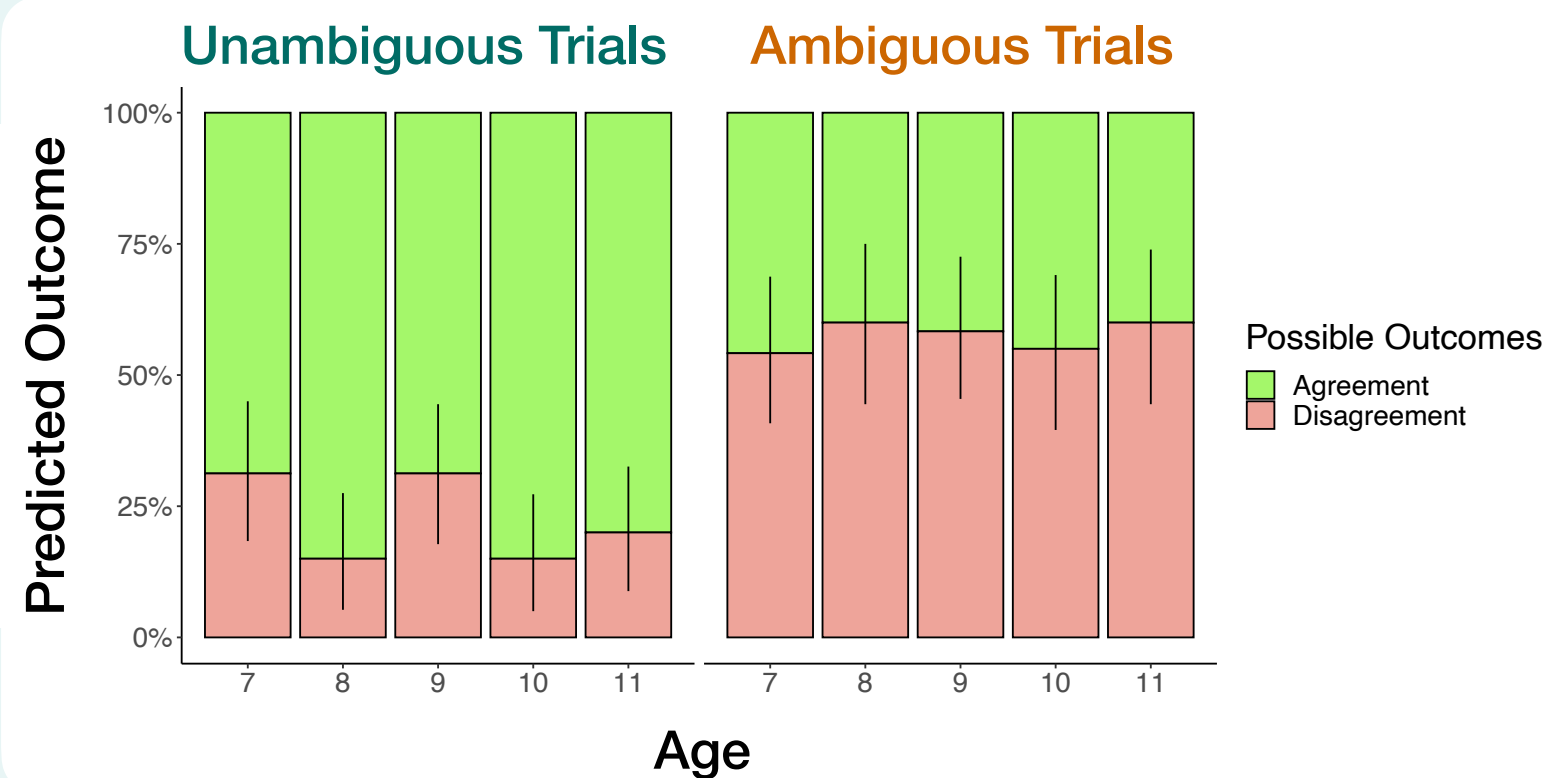
2. The people **DISAGREE**: One says, "I think Sam wants Robin to paint the wagon, but the other says, 'Actually, I don't think Sam wants that.'"

We hypothesized children would predict **disagreement more** after hearing **ambiguous** than **unambiguous** statements, and that these predictions may explain children's inferences in line with Bayesian inference (see computational model in the Inference Task results).

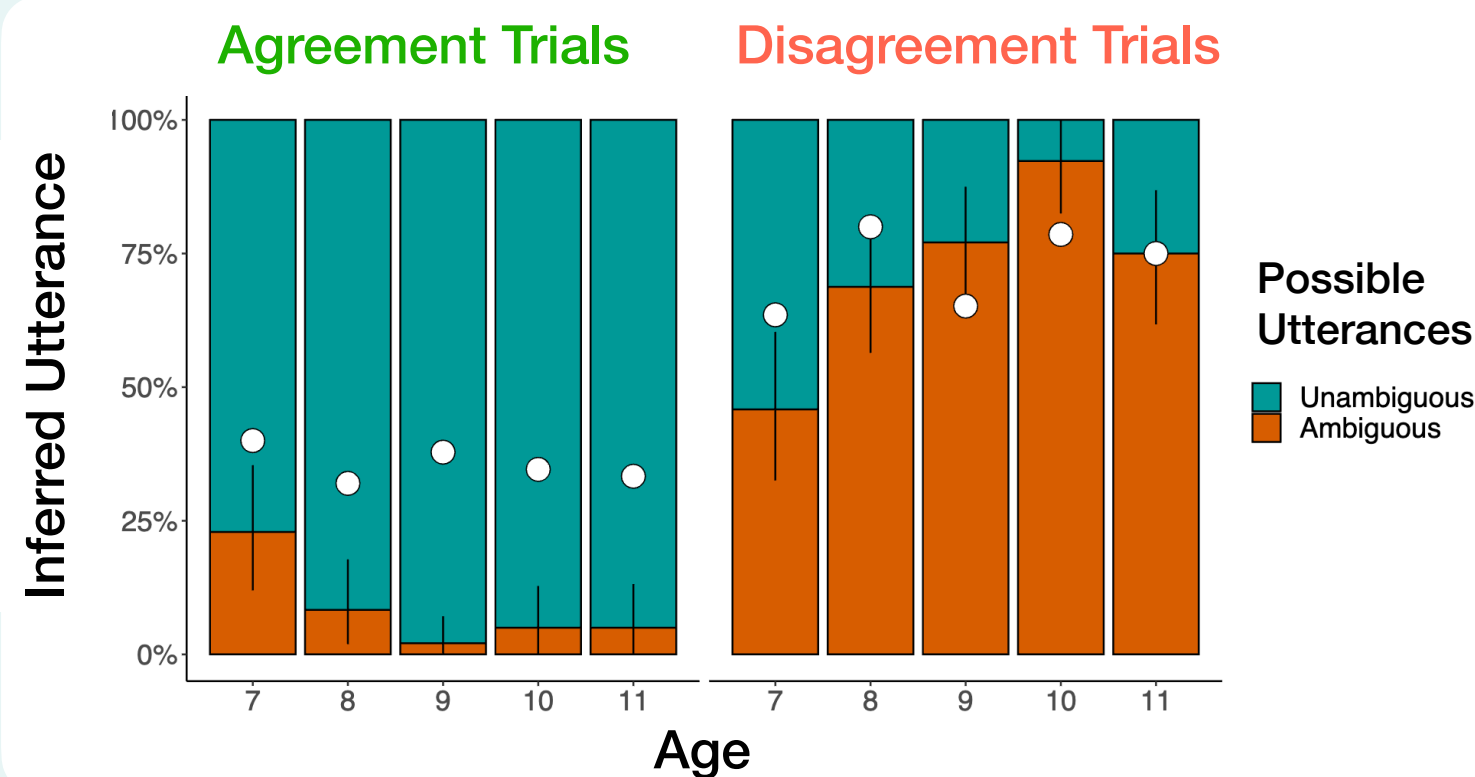


## Experiment 2 Results (Prediction + Inference)

**Prediction Task:** Across ages, children predicted that disagreement would occur more after an ambiguous than unambiguous statement,  $\beta_{\text{ambiguous}} = 1.58$ , 95% CI [1.14, 2.02].



**Inference Task:** Experiment 2 replicated the inference results from Experiment 1. We then linked children's predictions to inferences using Bayes' theorem:  $p(\text{utterance}|\text{agree}) \propto p(\text{agree}|\text{utterance})p(\text{utterance})$ . We assumed prior  $p(\text{utterance})$  was uniform. The model captures the main trends that children are more likely to infer ambiguous utterances after disagreement than agreement,  $r = 0.96$ , RMSE = 0.21.



## Discussion

Children use disagreement to infer ambiguous events, and this inference is explained in part by their predictions (in line with Bayesian inference). Future work will apply computational models that explain *age-related change* in inferences.